

- overbooking limit (virtual capacity). Vector of such state variables or capacities. Finally, used as capacity- or quantity-choice variable in economic models.
- y, y_j, \mathbf{y} Allocation variable or protection level for product j ; vector of allocations or protection levels. Used in models for finding partitioned or nested allocations. Also the state variable (number of reservations on hand) in overbooking models.
- z_t Notation used in forecasting. Data value of a forecast observed at time t (realization of random variable Z_t).
- \hat{z}_t Notation used in forecasting. Forecast (point estimate) of time-series value at time t (estimate of unrealized value Z_t).
- Z_t Notation used in forecasting. The t^{th} random variable in a time series Z_1, Z_2, \dots
- $Z(x), Z(y)$ Number of customers who show up (number of survivals) from a given number x, y of reservations on hand. Used in overbooking models.
- $\bar{Z}(x)$ Number of customers who cancel from a given number x of reservations on hand; $\bar{Z}(x) = x - Z(x)$.

Greek Variables

- λ, λ_j An arrival rate in a deterministic demand model and arrival intensity or arrival probability in a probabilistic-demand model.
- Δ The first-difference operator; if $g(x)$ is a function, then $\Delta g(x) = g(x) - g(x - 1)$.
- $\epsilon(p), \epsilon_{ij}(p)$ The elasticity of demand; the cross-price elasticity of demand for product i with respect to the price of product j .
- μ The mean of a random variable.
- $\Omega, \Omega_p, \Omega_d$ A constraint set; the constraint set of prices p and demand rates d .
- $\pi_i, \pi_i(x), \pi$ A bid price value or function—or a dual price from a math program.
- σ The variance of a random variable.
- θ A generic parameter of a distribution or a scaling parameter.
- $\Phi(z)$ The standard normal distribution (i.e., $\Phi(z) = \int_{-\infty}^z \frac{1}{\sqrt{2\pi}} e^{-z^2/2} dz$).
- $\phi(z)$ The standard normal density (i.e., $\phi(z) = \frac{1}{\sqrt{2\pi}} e^{-z^2/2}$).
- $\psi_X(t)$ The moment-generating function of a random variable X .
- ω An elementary outcome in a probability space (e.g., a random variable is $X(\omega)$).

Miscellaneous Symbols and Notation

- $\mathbb{R}, \mathbb{R}_+, \mathbb{R}^n, \mathbb{R}_+^n$ The set of real numbers ($+\infty, +\infty$); the set of nonnegative real numbers $[0, +\infty)$; the n -dimensional real plane and the n -dimensional positive orthant.
- \mathbb{Z} The set of integers, $\{\dots, -2, -1, 0, 1, 2, \dots\}$.
- $\mathbf{x}^\top, \mathbf{A}^\top$ The transpose of a vector \mathbf{x} or a matrix \mathbf{A} .
- $x^+, (a - b)^+$ The positive part of x equal to $\max\{0, x\}$; the positive part of the quantity $(a - b)$.
- $x^-, (a - b)^-$ The negative part of x equal to $\max\{0, -x\}$; the negative part of the quantity $(a - b)$.